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-0 D-Від зрілості залежить вплив пружних характеристик бавовни-сирцю на механіку живлячих валиків у очищувачах дрібного сміття. У очищувачах дрібного сміття застосовуються механізми, в яких використовуються колкові валики з асиметричним розташуванням лопатей. Асиметричність розташування живлячих валиків з прямолінійними лопатями можна характеризувати значенням кута в відставання або випередження лопатями одного валика лопатей іншого. Відносною характеристикою величини асиметрії може служити відношення модуля в до його граничного значення $k_{as}= heta/\pi$, інтервал зміни якого $0 \le k_{as} \le 1$. Аналіз показав, що зі збільшенням к_{ас} у очищувачах дрібного сміття спостерігається погіршення якості очищення бавовни-сирцю. Запропоновано матричний метод аналізу механізмів бавовно-переробних машин, в тому числі живлячих валиків у очищувачах дрібного сміття і розроблено алгоритм його комп'ютерної реалізації. Зі збільшенням асиметрії колкових валиків (k_{as}) розпірні сили, що виникають між валиками, зменшуються на 20-25 %, що призводить до зниження очисного ефекту машини.

Розроблено схему живильника, де поряд з традиційними лопатевими валиками використовуються колкові або колково-планчаті розпушувальні валики. В живильнику даної конструкції можна виявити як рівномірне живлення машини бавовною, так і зміна технологічних характеристик бавовни-сирцю. Додаткові валики призводять до зміни технологічних характеристик бавовни-сирцю, тим самим створюють процес інтенсивного виділення смітних домішок. Очевидно, деформація, що отримується часткою в схемі, яка розглядається, буде максимально можливою, граничною, так як нова конструкція виключає прослизання продукту в зонах між лопатевими і розпушувальними валиками, що не виключається в реальній конструкції.

Отриманий досвід показує, що застосування розробленої схеми живильника у очищувачах дрібного сміття дає значне збільшення (18%) очисного ефекту машини

Ключові слова: очищувач дрібного сміття, живлячі валики, колкові валики, лопать, деформація шару, розпірні зусилля, якість очищення бавовни-сирцю, структурні частки

1. Introduction

A highly important issue for the cotton-ginning industry is to intensify the process of removing impurities from raw cotton. A high quality of cotton fiber and seeds can be achieved as a result of developing improved designs of cleaners from small impurities, finding new ways of cleaning raw cotton from small and large contaminations, and choosing modes of cleaners.

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INFLUENCE OF ELASTIC CHARACTERISTICS OF RAW COTTON ON THE MECHANICS OF FEED ROLLERS IN THE CLEANERS FROM SMALL IMPURITIES

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A careful study is necessary to specify the mechanics of the interaction of the working elements of the feed devices with a layer of transported material, and it is essential to search for new designs of such charging systems with a directional change in the technological properties of raw cotton.

An 80–90 % increase in the cleaning effect of these technological processes allows obtaining fiber with the amount of impurities and defects within the norms. It is actually important to develop a system for assessing the uniformity of supply for cleaners and to determine the requirements for the characteristics of feed devices for preparing raw cotton for the main technological process. It requires creating effective cleaners for raw cotton and increasing the cleaning effect with a minimum number of cleaning machines.

2. Literature review and problem statement

In [1], the issues of cleaning medium-fiber raw cotton are investigated; in particular, the emphasis is placed on the strength of retaining volatiles by the roller set. A theoretical formula is proposed for calculating the efforts of separating volatiles from the blades, which has some discrepancy with the results of the experimental study. However, the effect of elastic characteristics of raw cotton is not taken into account, and in addition, the scheme does not consider the friction forces and does not take into consideration the interaction of volatiles with the asymmetrical arrangement of the blades.

In [2], tests are carried out to improve the mechanism of the feeder of spike rollers to study the interaction of a peg with a piece of raw cotton of a fibrous bond with a canvas formed by the feed rollers with a symmetrical arrangement of the blades. However, the results of the work do not show the desired cleansing effect on small impurities.

Raw cotton containing structural parts of a spherical shape with several volatile particles has been proposed to be considered in the processes occurring in the cleaners of coarse and fine contaminants [3]. Indeed, the conditions for the formation of such a cotton ball occur in the pre-cleaning section. On the basis of this model, an attempt is made to disclose the conditions for the material to be thrown onto the blade and to be fixed with a brush roller, taking into account the deformation of the raw cotton shreds. Solving the considered problems, the author reasonably focuses attention on the need for a uniform charging of the cleaners, in particular, on a largely unresolved problem of the influence of the elastic characteristics of raw cotton on the adhesion with an asymmetrical arrangement of the blades.

In [4], the question of the interaction of impurities with cotton is investigated; however, the influence of the elastic characteristics of raw cotton on the adhesion in cleaners of small admixtures with cotton is not studied.

In [5], the ways of increasing the efficiency of raw cotton cleaning from small impurities are investigated by improving planar spike rollers. However, changing the profile of the mesh surface does not improve the effect of cleaning cotton from small impurities.

In [6, 7], the fundamentals of the mechanics of the process of interaction of raw cotton sheaves with the working bodies of a large impurity cleaner section are given. However, the mechanics of the process of interaction of the working elements of the feed devices with the layer of the transported material are not investigated, and the search for charging systems with a directional change in the technological properties of raw cotton is not considered.

In work [8], dedicated to the choice of parameters of the geometry for the blades of the feed rollers, a process model is used that can illuminate the interaction of volatiles with the spike roller of the purifier and a number of reasons for the malformation of the process. However, there is no research on the effect of the asymmetrical arrangement of the blades on the elastic characteristics of raw cotton and, ultimately, on the quality indicators. The development of this direction can be considered in [9], in which the question of the effect of harvest time on the maturity of raw cotton is studied.

In [10, 11], this question is investigated only for raw cotton of machine harvesting. The authors do not consider the friction forces and the influence of the elastic characteristics of raw cotton with an asymmetrical arrangement of the blades. As a result, the desired cleaning effect is not achieved.

All this leads to a conclusion that the issues of the influence of the elastic characteristics of raw cotton on the spacer efforts, as well as ensuring the even charging of cleaners of small contaminants, remain open. Therefore, it is important to develop these studies in the part that relates to the possibility of creating a machine suitable for cleaning medium-fiber varieties with certain optimal parameters and mode of operation. Now for the cleaning of raw cotton from small impurities of medium-fiber varieties, the working section includes mainly a spike roller and a grate, which has a small cleaning effect on small impurities. This leads to a decrease in the fiber quality. When creating an appropriate design of spike rollers, the predicted increase in the cleaning effect in the technological processes can be up to 98-99 %. This, in turn, can help obtain fiber with the amount of impurities and defects within the regulated norm.

3. The aim and objectives of the study

The aims of the work are to study the process of feeding raw cotton in mechanisms of spike rollers with an asymmetrical arrangement of the blades and to determine the magnitude of the spacer forces acting on the feed rollers. This will give the opportunity to develop a new design that will allow high-quality cleaning of raw cotton from small impurities.

To achieve the aim, the following objectives were set and done:

– to identify the dynamics of the process of interaction with the raw cotton of the feed roller of the cleaner with an asymmetrical arrangement of the blades;

 to develop a new design of the mechanism for charging cotton machines, focused on changing the technological properties of raw cotton;

 to determine the methodology for assessing the utmost capabilities of the new system when deforming the structural particles of raw cotton;

- to study the process of deformation of structural particles by loosening rollers.

4. The study of the dynamics of the process of interaction between raw cotton and a feed roller cleaner with an asymmetrical arrangement of the blades

When the blades of rollers are asymmetrical (Fig. 1) relative to the layer of processed product S at the points of contact, along with the local deformations, general movements of the layer occur, leading to a decrease in the values of the spacer efforts, and this has been largely established experimentally [10]. In the diagram, there is a general decrease in the stiffness of the deformable layer, since general deformations by the layer axis shift are added to the local contact deformations.

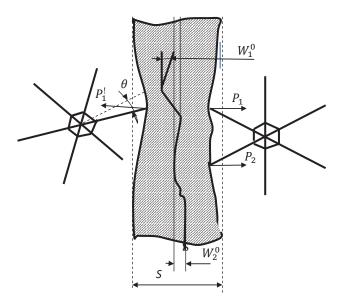


Fig. 1. A diagram of the interaction of asymmetrical feed rollers

The asymmetry of the location of the feed rollers with straight blades can be characterized by the value of the angle θ of one roller blades' lagging behind or advancing ahead of the blades of the other. It should be noted here that it is more convenient to count θ for an angle of less than or equal to half the angle between adjacent blades: $\theta \leq \pi/2$. The relative characteristic of the value of asymmetry can be the ratio of the modulus θ to its ultimate value:

$$k_{as} = \frac{\theta}{\pi},\tag{1}$$

and the interval of change is $0 \le k_{as} \le 1$.

When $k_{as}=0$, the case is a symmetrical arrangement of the blades; with $k_{as}=1$, the asymmetry of the feed rollers is maximal.

When k_{as} > 0, the system of equations [11] is rewritten as:

$$W_{1} - W_{1}^{\circ}(P_{1}, P_{2}...P_{r}) = W_{11}(P_{1}) + W_{12}(P_{2}) + ... + W_{1r}(P_{r}), W_{2} - W_{2}^{\circ}(P_{1}, P_{2}...P_{r}) = W_{21}(P_{1}) + W_{22}(P_{2}) + ... + W_{2r}(P_{r}), W_{r} - W_{r}^{\circ}(P_{1}, P_{2}...P_{r}) = W_{r1}(P_{1}) + W_{r2}(P_{2}) + ... + W_{rr}(P_{r}),$$

$$(2)$$

where W_r denotes the total displacement of the *i*-th point of the layer.

The question of determining W_i is an independent task related to the properties of the deformable layer. With insignificant general displacements for this purpose, the equations of the elastic line of a deformable rod can be applied, and with significant ones, the equations on a rigid thread bending can be used [12-15].

In the general case, W_i^* is the function of all acting forces, which indicates the complexity of the general task, with $r \ge 3$ becoming statically indeterminable.

If it is assumed that W_i° is the linear function of P_i only, the circuit analysis will be simplified. From the scheme of a two-support rigid thread, assuming that the deflection of the elastic flow axis is small, the total deflection can be determined as follows:

$$W_i^0(P) \approx \frac{W_i^0 + W_{(i+1)}^0}{2} + W_i^0 = \frac{P_i t^3 (2 - k_{as})}{12 (EJ)_{uc}},$$
(3)

where W_i° and $W_{(i+1)'}^{\circ}$ are the deflections of the flow axis under the blades of the right roller; W_i^0 is the deflection under the blade of the left roller; t is the distance between the ends of the blades of the left roller in the projection on the flow axis; (EJ)_{cond} is the conditional stiffness of the cotton layer for bending. When $k_{as}=1$, (3) can acquire the sign of exact equality.

Assuming the displacement of the axis of the layer to be symmetrical, the obtained function is:

$$W_i^0 = \frac{P_i t^3 \left(2 - k_{as}\right)^2 k_{as}^2}{24 \left(E_j\right)} = \frac{P_i k_{as}^2 \left(2 - k_{as}\right)}{c} = P_i \lambda \ge 0, \tag{4}$$

continuous, differentiable (twice); with $k_{as}=0$, it has a minimum equal to zero, and with $k_{as}=1$, it has a maximum equal to:

$$W_{i\max}^{0} = \frac{P_{i}t^{3}}{24(E_{j})_{w}}.$$
(5)

The condition of non-negativity of W_i° in (4) naturally follows from the non-negativity of P_i for $\lambda > 0$.

Taking into account (4) and $W_{ii} = \delta_{ii} P_{i}$, system (2) can be rewritten as a matrix equation:

$$\left\|W_{j}\right\| = \left(\left\|\delta_{ij}\right\| + \lambda \cdot \left\|E\right\|\right) \cdot \left\|P_{i}\right\|,\tag{6}$$

 $||W_i||, ||\delta_i||$ and $||P_i||$ are matrices defined by [11]; ||E|| is the unit matrix $(r \times r)$.

The solution of matrix equation (6) gives the expression:

$$\|P_i\| = \left(\left\| \boldsymbol{\delta}_{ij} \right\| + \lambda \cdot \|E\| \right)^{-1} \cdot \|W_i\|,$$
(7)

where the square matrix $\left(\left\| \delta_{ij} \right\| + \lambda \cdot \left\| E \right\| \right)^{-1}$ is the inverse matrix from $(\|\delta_{ij}\| + \lambda \cdot \|E\|)$, and their product is $\|E\|$.

For the previously considered example (r=2), the following is true:

$$\|P_{i}\| = \|P_{1}\|, \|W_{j}\| = \|W_{1}\|, (\|\delta_{ij}\| + \lambda \|E\|) = \|\delta_{11} + \lambda \delta_{12}\|, (8)$$

and according to the definition of the inverse matrix and the identical equalities $\delta_{ij} = \delta_{ji}$,

$$\left(\left\| \delta_{ij} \right\| + \lambda \left\| E \right\| \right)^{-1} = \frac{\left\| \delta_{11} + \lambda - \delta_{12} \right\|}{\left(\delta_{11} + \lambda \right)^2 - \delta_{12}^2}.$$
(9)

With $W_1 = W_2 = 45.6$ mm and the Δ_{ij} values known from [11],

$$P_1 = P_2 = \frac{45.6}{1.475 \cdot 10^{-2} k \frac{(2 - k_{as})^2 k_{as}^2}{c}},$$

which at $k_{as} = 0$ gives $P_1 = P_2 = 3091.5 \frac{1}{k}$. In the case of r=3, matrix equation (8) leads to a more complicated equation:

$$\begin{pmatrix} P_{1} \\ P_{2} \\ P_{3} \\ \end{pmatrix} = \frac{ \begin{pmatrix} (\delta_{11} + \lambda) - \delta_{12}; \delta_{12} (\delta_{13} - \delta_{11} - \lambda); -\delta_{12} - \delta_{13} (\delta_{11} + \lambda) \\ \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{13}^{2} \cdot \delta_{12} (\delta_{13} - \delta_{11} - \lambda) \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{12}^{2} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{12}^{2} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{12}^{2} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{12}^{2} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{12}^{2} \\ \frac{\delta_{13}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{13} - \delta_{11} - \lambda); (\delta_{11} + \lambda)^{2} - \delta_{12}^{2} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{11} - \lambda); (\delta_{11} + \lambda); \delta_{12} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{11} + \lambda); \delta_{12} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{11} + \lambda); \delta_{12} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{11} + \lambda); \delta_{12} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} (\delta_{11} + \lambda); \delta_{12} \\ \frac{\delta_{12}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12} \\ \frac{\delta_{13}^{2} - \delta_{13} (\delta_{11} + \lambda); \delta_{12}$$

Multiplication of the matrices in the numerator of (10) with a positive determinant in the denominator gives the necessary condition for touching the top of the layer of raw cotton with the first and third blades:

$$\frac{W_2}{W_1} = \frac{W_2}{W_3} \le \frac{\delta_{11} + \lambda}{\delta_{12}},$$

which for the considered example is performed when:

$$\lambda \ge 4.57 \cdot 10^{-3} k \left[\frac{\mathrm{mm}}{\mathrm{N}} \right].$$

If λ does not satisfy this condition, the calculation of the expansion force at r=3 reduces to the case of r=1, for which:

$$P_{\max} = \frac{W_{\max}}{\delta_{11} + \lambda} = \frac{55}{9.6 \cdot 10^{-3} k + \frac{(2 - k_{as})^2 k_{as}^2}{C}}$$

Table 1 shows the dependences of the values of λ and the total spacer efforts for the considered examples at $k=23.0 \text{ mm}^2/\text{H}, \epsilon=0.5$, and c=108 mm in the function of k_{as} .

The results of calculating the spacer forces with an asymmetrical arrangement of spike rollers

Table 1

	k =23.0 mm ² /H, ϵ =0.5, and c =108 mm						
	k _{as}	0	0.2	0.4	0.6	0.8	1.0
	$P_{(N)}$	250	242	215	194	181	175
1	$P_{\Sigma} = P_1 + P_{2(N)}$	270	260	254	224	218	210
λ.	$10^{-3} (\text{mm/N})$	0	1.43	3.75	6.4	8.54	9.2

With an increase in the asymmetry of the spike rollers (k_{as}), the spacer forces arising between the rollers decrease by 20–25% (Table 1). This proves that with insignificant general displacements, the equations of the elastic line of a deformable rod can be applied, and with significant displacements, the bending equations of a rigid thread can be used.

5. Development of a new mechanism for the design of cotton machinery, focused on changing the technological properties of raw cotton

As shown above, the increase in the efficiency of cleaning processes is possible by directed changes in the technological properties of raw cotton: disaggregation of the structure of cotton, an increase in the total open surface of cotton particles due to deformation of structural units, and a decrease in the density of its mass.

This purpose is served by the charging (feed) methods proposed in Fig. 2 and the design of the cleaner feeder, which embody the idea of connecting the charging system with the system of preparing raw cotton for cleaning processes.

The feeder diagram is shown in Fig. 2, where, along with the traditional paddle rollers 1, loosening rollers 2 are used, both spike and spike-slatted.

Between the pairs of the rollers, a zone of directional change in the properties of raw cotton is formed – it is a fuzz of the product held by the blades of the feed rollers. Under the influence of pegs, structural particles of cotton with a large number of connected volatiles are loosened. With the pinch by one end in the feed zone, under the influence of pegs, a downsizing occurs in a rather mild mode. At the same time, for individual volatile particles and structural particles with a 2-3 volatile number, an almost unhindered passage into the machine is possible: these particles are only shaken by the pegs, fluffing and losing contact with impurities.

In the feeder of this design, both uniform feeding of the machine with cotton and a change in the technological characteristics of raw cotton are thus achieved.

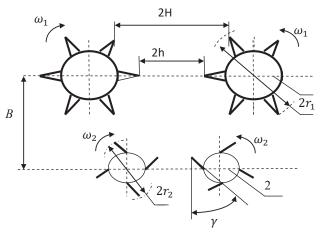


Fig. 2. A diagram of a feed device with a system for the directional measurement of the technological properties of raw cotton: 1 – bladed feed rollers; 2 – spiked loosening rollers

In the proposed design of the cleaner of small impurities, it is possible to achieve uniform charging with raw cotton and additional cleaning from small impurities. Additional rollers lead to a change in the technological characteristics of raw cotton, thereby creating a process of intensive cleansing.

6. Development of methods for assessing the utmost capabilities of the new system in the deformation of structural particles of raw cotton

Thus, it is essential to solve the general problem of estimating the ultimate possibilities of the system during the deformation of the structural particles of raw cotton.

It is assumed that the feed and spike rollers have a cylindrical shape and in the zone of the feed and exhaust steam ensure reliable pinching of the structural particle with a length (before deformation) Z_0 . The radii of the feed rollers and their angular velocity are denoted by r_1 and ω_1 , respectively, and those for the spike rollers are denoted by r_2 and ω_2 (Fig. 3); the length of the zone between the pinching points is marked as *B*.

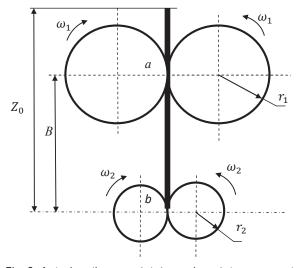


Fig. 3. A design diagram of deformation of the structural particles of raw cotton by the feed and loosening rollers

A particle, having fallen into the pinch zone (*a*), is transported at a speed of $\omega_1 r_1$ to the loosening rollers. From the moment when its lower end is in the pinch zone (*b*), the deformation process begins, since the lower end of the particle is removed from the zone at a speed of $\omega_2 r_2 \gg \omega_1 r_1$. The process ends when the upper end of the particle leaves the zone *a* or the particle collapses.

Obviously, the deformation obtained by the particle in the flowchart under consideration will be maximally possible, ultimate, since the model excludes product slippage in the zones a and b, which is not excluded in the actual design.

In the elementary period of time dt after the start of the process, the elementary mass of the product is fed to the loosening zone:

$$dm_1 = \gamma_{x_1} \omega_1 r_1 F_1 dt, \tag{11}$$

to produce:

$$dm_2 = \gamma_2 \omega_2 r_2 F_2 dt, \tag{12}$$

where, assuming a cylindrical shape of the cotton particles, γ_{x_1} and γ_{x_2} denote the density of raw cotton before and after deformation; F_1 and F_2 are the corresponding cross-sectional areas.

By the time a particle enters the pinch zone, there is a mass between the rollers:

$$m_b = \gamma_x BF_1, \tag{13}$$

an elementary change of which is determined by the ratio:

$$dm_2 - dm_1 = -dm_b. \tag{14}$$

With substituting in (14) the values of (11) and (12) as well as of dm_b in (13) and integrating, the assumption produces $\gamma_{x2}(t)$ and $F_2(t)$ (omitting index 2 in the variables):

$$\gamma_{x}F = \gamma_{x_{1}}F_{1}\left[\frac{\omega_{1}r_{1}}{\omega_{2}r_{2}} + \left(1 - \frac{\omega_{1}r_{1}}{\omega_{2}r_{2}}\right)e^{-\frac{\omega_{2}r_{2}}{B}}t\right].$$
(15)

From γ_x and *F*, a transition can be made to the relative deformation ε of the structural raw cotton particle:

$$\varepsilon(t) = \frac{1}{\frac{\omega_1 r_1}{\omega_2 r_2} + \left(1 - \frac{\omega_1 r_1}{\omega_2 r_2}\right) \exp\left(-\frac{\omega_2 r_2 t}{B}\right)} - 1.$$
(16)

At the moment of B:

$$t = \frac{Z_0 - B}{\omega_1 r_1} \tag{17}$$

the relative elongation reaches a maximum:

$$\varepsilon_{\max} = \frac{1}{\frac{\omega_1 r_1}{\omega_2 r_2} + \left(1 - \frac{\omega_1 r_1}{\omega_2 r_2}\right) \cdot \exp\left[\frac{\omega_2 r_2 (B - Z_0)}{\omega_1 r_1 B}\right]} - 1.$$
(18)

Obviously, the longer the structural particle, the greater the relative elongation it experiences and the more likely its destruction.

The efficiency of deformation and loosening implies that: – firstly, the geometrical parameter of the scheme is B, which determines both the minimum dimensions of the non-deformable particles and the magnitude of the maximum deformation;

– secondly, the ratio of the product speeds $\omega_1 r_1 / \omega_2 r_2$ at the points *a* and *b* is a kinematic parameter.

7. Research on the process of deformation of structural particles by loosening rollers

From the overall picture of the process, let us proceed to considering the deformation of particles of raw cotton by splitting them by the pegs of the loosening rollers.

The process diagram is shown in Fig. 4, where at the point *A* the blades of the feed rollers pinch the raw cotton layer, and at the point *D*, which is at a distance *X* from *A*, a peg of the loosening roller affects a structural particle of the raw cotton. For the attachment point to the angle of the splitting point to the roller with the radius *r*, the symbol α is assigned, and it is positive in the direction opposite to the rotation of the roller.

A cotton layer is deformed by the feed rollers from 2H to 2h, which determines the value of the arc of rotation of the feed rollers A'A'', within which the fuzz of the elastic layer of raw cotton is clamped by the blades.

Since $\omega_1 r_1 \ll \omega_2 r_2$, it is assumed that the cotton layer remains pinched during the entire impact of the spikes on the fuzz, and the case when, in the process of deforming, the blades release the fuzz at the point *A* and it gets pinched by the next pair of blades is not considered because of the small specific weight.

 Δ is used to denote half of the segment *A'A"*, and it is determined from the geometric ratio (Fig. 5):

$$\Delta = \frac{A'A''}{2} = \sqrt{r_1^2 + (r_2 - H + h)^2}.$$

The process of a peg interacting with a raw cotton layer can be divided into three main phases. The first is the introduction of the peg of the loosening roller into the cotton layer from the moment it touches it to the termination of the relative sliding of the fibrous material along the surface of the peg.

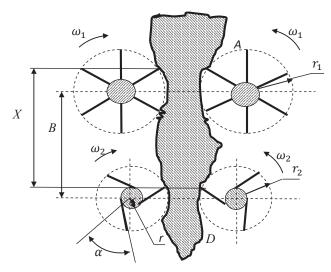


Fig. 4. A general diagram for calculating the deformation of structural particles of raw cotton between the feed and spike pairs

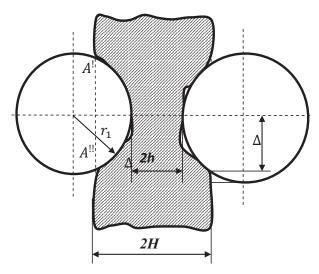


Fig. 5. A diagram for calculating the zone of a raw cotton layer pinching by the blades

The moment of the contact (Fig. 6) is determined by the ratio:

$$\Delta_1 = -r_2 \cos \gamma_0 = -\sqrt{r^2 - (H - h)^2}.$$
 (19)

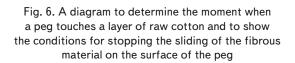
The moment of the stop of the cotton slipping on the surface of the peg occurs due to friction. If Amonton's friction law is taken into account, then the slip will stop at the angle between the direction of movement and the axis of the peg:

$$\lambda_c = \frac{\pi}{2} - \rho = \gamma + \varphi, \tag{20}$$

 $\gamma = \gamma_1 - \alpha_1$ is the angle between the peg and the cotton flow axis at the moment of contact; α_1 is the angle between the axis of the peg and the straight line connecting the end of the peg with the axis of the roller. Δ_2 HH $\lambda_c = \pi/2 - \rho$

where ρ is the friction angle; ϕ is the angle of rotation

from the moment of touching to the termination of sliding;



Λ

The moment of the stop of the cotton slipping corresponds to the segment Δ_2 :

$$\Delta_2 = r_2 \sin(\alpha_1 - \rho). \tag{21}$$

Expression (20) can be derived from the equilibrium condition of the cotton particle on the surface of the peg under the action of a force T parallel to the direction of motion. Indeed, with projecting T onto the peg axis and an axis perpendicular to it produces (Fig. 7), the result is:

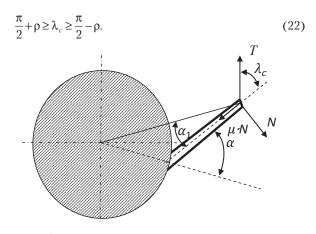


Fig. 7. Conditions of equilibrium of the cotton element on the surface of the peg

This phase of the movement is accompanied by some deformation of cotton particles, which can be neglected in the first approximation.

The second phase is the deformation of the cotton raw layer with relative rest of the clamped cotton particles and the spike surface. Conditions (22) correspond to this zone, and the maximum displacement of the pinch point is determined as follows:

$$\Delta_3 = r_2 \sin(\alpha_1 + \rho). \tag{23}$$

With a total initial length of the deformable particle *X* to the beginning of this phase of the process:

$$X = B \pm \sqrt{r_1^2 + (r_1 - H + h)^2} + r_2 \sin(\alpha_1 - \rho), \qquad (24)$$

and the maximum value of the absolute deformation, reducible to the form, taking into account with some approximation the movement of the blades of the feed rollers during the rotation of the spike roller at an angle of 2ρ :

$$\Delta X_{2\max} = 2 \left(r_2 \sin \rho \cdot \cos \alpha_1 - \rho r_1 \frac{\omega_1}{\omega_2} \right), \tag{25}$$

it is easy to determine the maximum value of the relative strain in this phase of the process:

$$\varepsilon_{2\max} = \frac{2\left(r_2 \sin \rho \cdot \cos \alpha_1 - \rho r_1 \frac{\omega_1}{\omega_2}\right)}{B - \sqrt{r_1^2 + (r_1 - H + h)^2} + r_2 \sin(\alpha_1 - \rho)}.$$
 (26)

If we take into account that any previous blade goes before each blade considered, the maximum value of the initial length of X will be somewhat different, determined from the relation:

$$X_{\max} = B + r_1 \sin\left(\arccos\frac{r_1 - H + h}{r_1} - \frac{2\pi}{n}\right) + r_2 \sin(\alpha_1 - \rho).$$
(27)

In this case, indeed, it is necessary to meet the condition that:

$$X_{\max} \ge L_0. \tag{28}$$

In order to avoid the formation of nodules on the spike rollers, it is desirable to complete the process of destroying structural particles in this phase, for which, in (26), ε_{max} should exceed the relative deformation of cotton particles when they are broken down as ε_x .

The third phase of the process is the contraction of the particles caught by a peg to its base. It occurs when condition (22) is violated on the left. Considering that $\lambda_c = \gamma + \varphi(t)$, the result is:

$$\Delta X_3 = -kr_2 \Big[\cos(\alpha_1 + \gamma + \varphi) + \sin(\rho + \alpha_1) \Big] - r_1 \varphi \frac{\omega_1}{\omega_2}.$$
 (29)

By analogy, the relative deformation value can be obtained:

$$\varepsilon_3 = \frac{\Delta X_3}{X}.$$
(30)

The total deformation in the second and third phases of the splitting interaction with raw cotton will be:

$$\varepsilon = \varepsilon_{2\max} + \varepsilon_3 \ge \varepsilon_x. \tag{31}$$

The coefficient k < 1 accounts for the shift of the point of picking cotton particles to the base of the peg.

8. Discussion of the results of studying the effect of the elastic characteristics of raw cotton on the mechanics of the feed rollers in cleaners from small impurities

As a result of the research, interactions of small impurities with fiber have been determined. For the proposed charging system, the ultimate problem of deforming structural cotton particles has been solved; the optimal wiring values, inclination angles of the pegs of the loosening rollers in the processes of introduction, capture, deformation and self-resetting have been determined by calculation. The design of the feed device, which was developed and tested in the laboratory of the mechanics of cotton machines, has the following parameters: $r_1=70$; $r_2=45$; B=120; 2h=60 (all dimensions are in mm); n=6; $\alpha=\pi/6$. The calculated initial length X of an element with $\mu=0.35-0.48$ ($\rho=0.337-0.447$) and a thickness of 2H=140 was determined by the range from $X_{min}=48-53$ to $X_{max}=118-123$ with an average $X_{av}=83-88$.

The analysis of the structural composition of raw cotton passing through the feed device under consideration has shown that particles with eight or more volatiles, whose dimensions are $L_0=100-140$ mm, are almost completely disaggregated. The relative deformation of these particles reaches $\varepsilon_2=0.346-0.851$ with $\mu=0.48$ and $\varepsilon_2=0.243-0.563$ with $\mu=0.35$.

If the deformation in the third phase of the process is also taken into account, then the total elongation for the listed friction coefficients at k=0.5 and j=0.175 will be $\varepsilon=0.526-1.293$ and $\varepsilon \ge 0.438-1.015$, respectively.

It is noteworthy that for the equations of the ultimate process problems (16) and (17) with $\omega_2 r_2/\omega_1 r_1 = 5.71$, $Z_0 = 130$ and $Z_0 = 140$ mm, there is the deformation ε_{max} , equal to 5.59 and 18.2, respectively.

The advantages of this study in comparison with analogues can be the fact that in order to improve existing structures and enhance the cleaning effect (18%), a number of highly efficient designs of the feed roller blades were developed, allowing to preserve the natural qualities of cotton and its seeds as much as possible. In the existing scheme of interaction of the feed rollers, in which at $k_{as}=1$ the dependences of the values of λ and total spacer forces are specified, for the considered examples $\lambda \cdot 10^{-3}$ (mm/N) decreases by 25 %. The flowchart of the feeder of the new design provides, along with the traditional paddle rollers, for the use of loosening rollers, spike and spike-slatted. Typically, under the influence of pegs, structural particles of cotton with a large number of connected volatiles are loosened so that the particles are only shaken with pegs, fluffing out and losing contact with impurities. In this design, both the uniform feeding of the machine with cotton and the change in the technological characteristics of raw cotton are achieved.

With an increase in $\omega_2 r_2 \gg \omega_1 r_1$, the cotton layer remains pinched during the entire time that the spikes impact raw cotton particles between the feed rollers, which increases the fiber damage by 0.25 %.

In order to avoid the process of damage to the fibers on the rollers, it is desirable to carry out the process of destruction of the structural particles with the ratio of product speeds of $\omega_1 r_1 / \omega_2 r_2 \leq 5.71$.

9. Conclusion

1. The study has revealed the mechanics of the process of interaction of the feed roller blades with the transported layer of raw cotton. The geometric problem of deforming the layer by paddle rollers is solved, and the extremes of the total deformation are analytically determined. With $\omega_2 r_2 / \omega_1 r_1 = 5.71$, when $Z_0 = 130$ and $Z_0 = 140$ mm, there is the deformation ε_{max} , equal to 5.59 and 18.2, respectively. The matrix method was used for calculating the spacers and the shape of the deformable layer, based on the system of elastic characteristics of raw cotton.

2. One of the results is the comprehensive analysis of the feed system with an asymmetrical arrangement of the blades of the feed rollers; the power consumption of the feed rollers has been evaluated, and the positions of the stable and unstable equilibriums of the rollers have been determined (Table 1).

The forces acting on the feed rollers with $k_{as}=0$ and P=250 H are $P_{\Sigma}=P_1+P_2=270$ H, and with $k_{as}=1$ and P=175, they are $P_{\Sigma}=P_1+P_2=210$ H.

3. The study has suggested the principles of designing a charging system with elements of preparing raw cotton for cleaning processes, focused on changing the technological properties of cotton. The relative deformation of raw cotton reaches ϵ_2 =0.346–0.851 with μ =0.48 and ϵ_2 =0.243–0.563 with μ =0.35.

4. For the proposed feed system, the ultimate problem of deforming structural cotton particles has been solved; the optimal wiring values, the tilt angles of the pegs of the loosening rollers in the processes of introduction, capture, deformation and self-resetting have been determined by calculation. The necessary conditions for touching the surface of a cotton raw layer with the first and third blades have been obtained. It has been shown that with an increase in the asymmetry of the spike rollers, the spacer forces arising between the rollers decrease by 20-25 %. This proves that with insignificant general displacements, the equations of the elastic line of a deformable rod can be applied, and with significant displacements, the equations of a rigid thread can be used.

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